



Research Article

Spatial Analysis of Road Crashes and Economic Development of Territory: The Case of the Russian Federation

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Abstract: Road accidents are a significant issue, leading to human, material, and economic losses. Many regions and countries have implemented various measures to improve traffic safety. However, these efforts have not eliminated all traffic-related fatalities and severe injuries. Even within a single country, the pattern of road accidents may vary due to spatial and socio-economic differences. Therefore, this research aimed to explore the relationship between regional socio-economic conditions and the dynamics of road accidents, emphasizing the importance of considering regional heterogeneity. The article further investigated the spatiotemporal dynamics of road accidents across 83 Russian regions during the period from 2015 to 2021. The modelling was conducted using Moran's I spatial autocorrelation index and spatial econometrics models. The dependent variable was also defined as the number of road crashes with injuries per 100,000 people. Analysis of the spatial autocorrelation index showed a positive and significant spatial autocorrelation (at 5% level) in the number of road crashes with injuries per 100,000 people. Furthermore, the Global Moran's I ranged from 0.152 to 0.278, indicating the presence of regional clustering in road crash rates. According to the Spatial Autoregressive with Fixed Effects (SAC-FE) model, the volume of gross regional product (GRP) per capita, the length of paved public roads per 1,000 people, and the level of innovative activity of organizations showed significance at 1% level both negative direct and indirect (spillover) effects on road accident density. Specifically, a 1% increase in these factors led to a direct decrease of 0.13, 0.04, and 0.024, respectively in road accident density, while the corresponding spillover effects were -0.21, -0.07, and -0.04. The results implied that better socio-economic conditions in the studied regions and the neighboring areas contributed to a reduction in road accidents including injuries. This was attributed to a higher level of responsibility and self-awareness among citizens in more developed regions.

Keywords: Autocorrelation; Road crashes; Spatial effects; Spatial lag; Spatial regression model

1. Introduction

Road safety is part of the key responsibilities of governments across the world ([Mustakim et al., 2023](#); [Siregar et al., 2022](#)). Most countries set clear objectives to reduce the number of road accidents. For instance, the Agenda 2030 for Sustainable Development aims to reduce deaths and injuries from road traffic accidents by 50% ([WHO, 2018](#)). Road traffic accidents have a significant impact on the socio-economic well-being of society. These accidents lead to the loss of human lives, physical and psychological injuries, as well as enormous economic costs ([Albalade and Fageda, 2021](#); [Sánchez-González et al., 2021](#)).

Research in the modeling and analysis of the socio-economic consequences of road accidents holds both cognitive and practical importance. It helps not only to understand the scale of the problem but also to develop effective strategies and measures to prevent accidents, reduce risks, and minimize the negative impact on society and the economy ([Castillo-Manzano et al., 2024](#); [Haghani et al., 2022](#); [Myhrmann et al., 2021](#); [Su et al., 2021](#); [Benito et al., 2021](#); [Elvik et al., 2019](#); [Liu et al., 2019](#)).

Previous publications analyzing road crashes in specific Russian regions showed that a general analysis of crash origin factors was not effective for accurately predicting accidents ([Muratova et al., 2024](#); [Rodionova et al., 2024](#); [Skhvediani et al., 2023](#); [Rodionova et al., 2021](#)). Therefore, it is important to incorporate more specific variables to improve the predictive power of the models. For example, transport planning often begins with identifying high-risk zones or black spots ([Castillo-Manzano et al., 2024](#); [Shi et al., 2024](#); [Yu et al., 2014](#); [Montella, 2010](#)). This suggests that the spatial concentration of road crashes is a crucial factor in analysing the transportation system. Several authors also investigate the spatiotemporal patterns of road crash concentrations. For example, Soltani and Askari examined the localisation and hotspot distribution of road crashes in Iran and identified clusters using Moran's I and the Getis-Ord G_i^* index ([Soltani and Askari, 2017](#)). Many other scholars use Moran's I to detect spatial autocorrelation and then analyse the distribution of road crashes using spatial regression models ([Sipos et al., 2021](#); [Ziakopoulos and Yannis, 2020](#); [Ver Hoef et al., 2018](#); [Rhee et al., 2016](#)).

The current research aims to investigate the territorial distribution of severe and fatal road accidents across 83 Russian regions during the period from 2015 to 2021. It further examines whether variations in the economic and social development across these regions influence the frequency of severe or fatal road crashes. The central hypothesis is that the level of regional socio-economic development affects the number of injury-related accidents, considering both spatial and temporal effects. Therefore, this research estimates the direct and indirect effects of regional development on road accident numbers and analyses the presence of spatial spillover effects.

The research is structured where the next section outlines the algorithm and describes the analytical methods used. It also explains the data collection process and presents a dataset along with a preliminary analysis. The third section presents and discusses the results, comparing with previous articles. Finally, the analysis concludes with reflections on the implications for improving future road crash analysis and offers recommendations for further research.

2. Data and methods

According to the literature, the most effective algorithms for spatial analysis were the combination of Moran's I and spatial regression modelling. Many research have presented this method by estimating Moran's I and applying spatial regression models to detect spatial spillover effects and clusters ([Skhvediani and Sosnovskikh, 2020](#); [Lee et al., 2018](#); [Cai et al., 2016](#); [Narayanamoorthy et al., 2013](#)). Therefore, the research adopted the algorithm as presented in Figure 1.

Stage 1 of this research included data curation. During this stage, the analysis collected the appropriate dataset, filled in missing data, conducted a correlation analysis on the initial data, and transformed the data for further analysis.

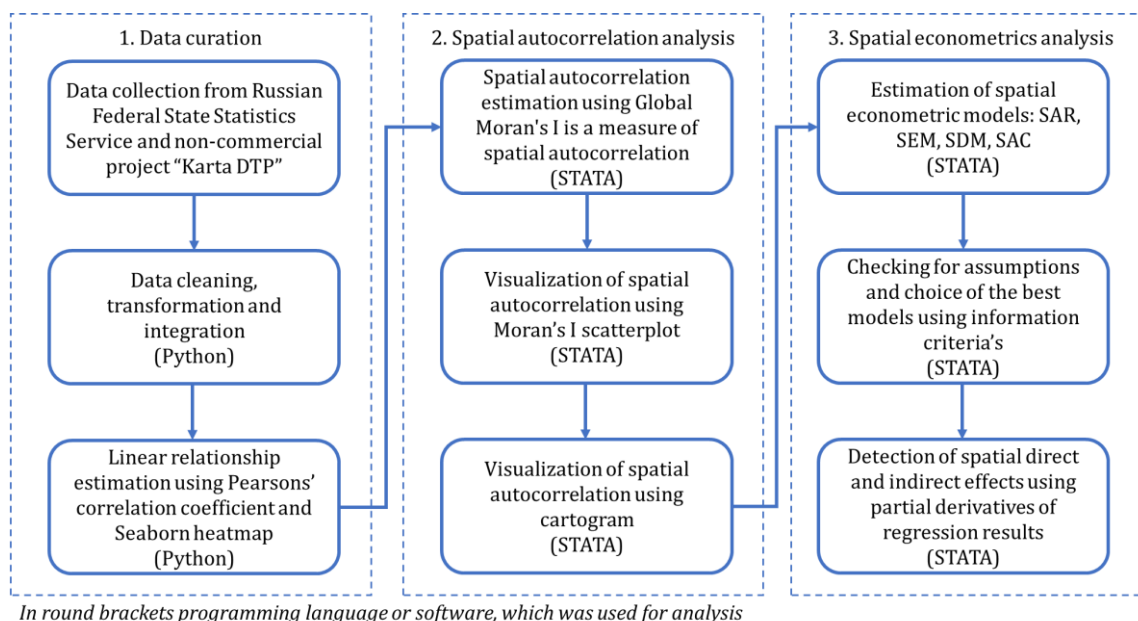


Figure 1 Spatial Analysis Algorithm

In particular, the dataset for the analysis was collected from three databases namely Karta DTP, ROSSTAT, and EMISS (Karta DTP, 2024; ROSSTAT, 2024; EMISS, 2024). Karta DTP was used for the collection of data on the number of road crashes in Russian regions. The Russian Federal State Statistics Service (ROSSTAT) and Unified Interdepartmental Statistical Information System (EMISS) provided data on regional socio-economic development. The analysis further gathered data for 83 out of 89 Russian regions from 2015 to 2021 due to limited data availability for certain indicators. To account for differences in population size, the number of road crashes with injuries was scaled per 100,000 people. The list of dependent, independent, and control variables is presented in Table 1.

Table 1 Description of variables

Variables	Description	Source
<i>Dependent variable – y</i>		
Crashes	The number of road crashes with injuries per 100,000 people	(Karta DTP, 2024)
<i>Independent variables – x</i>		
Emp	The level of employment of the population, %.	(ROSSTAT, 2024)
GRP	Gross regional product per capita	(ROSSTAT, 2024)
road_person	The length of paved public roads per 1,000 people	(EMISS, 2024)
pascar_person	Number of passenger vehicles per capita	(EMISS, 2024)
AP_person	Availability of operational buses carrying out transportation on regular transportation routes per 1000 people of the population	(EMISS, 2024)
Innov	The level of innovative activity of organizations, by subjects of the Russian Federation, %	(ROSSTAT, 2024)
<i>Control variables – x</i>		
Zabol_person	The number of registered diseases in patients with a diagnosis established for the first time in their lives per 1000 people of the population	(ROSSTAT, 2024)
ED_person	Graduation of bachelors, specialists, masters per 1000 thousand people of the population	(EMISS, 2024)

Correlation analysis of initial data was conducted using Pearson's correlation coefficient and visualized using Seaborn heatmap in Python. Stage 2 focused on the spatial autocorrelation analysis of the dependent variable. The analysis was conducted using Global Moran's I as shown in Equation 1.

$$I = \frac{\sum_i \sum_j w_{ij} (x_i - \bar{x})(x_j - \bar{x})}{\frac{1}{n} \sum_i (x_i - \bar{x})^2 \sum_i \sum_j w_{ij}} \quad (1)$$

where w_{ij} is the element of the contiguity-based weight matrix W ,
 x_i is the studied indicator of region i ,
 x_j is the studied indicator of region j ,
 n is the total number of regions.

The identification of spatial heterogeneity across the entire data set was carried out using the Global Moran's I ([Anselin, 2003](#)), which provided a statistic to reflect spatial autocorrelation for the whole sample. Evaluation of the statistical significance of spatial autocorrelation related to the following hypotheses.

- H0: spatial autocorrelation is zero (random);
- H1: spatial autocorrelation is not zero (spatial patterns are present).

Additionally, the research visualized the results using Moran's scatterplot and cartogram of Russian regions. Moran's scatterplot indicated the relationship between the number of road crashes in each region and the average value of the same attribute at neighboring locations. The y-axis of this scatter plot reflected average values of the examined variable in neighboring regions, while the x-axis represented the same variable in the region under analysis. These values were usually standardized and the scatterplot was divided into four quadrants, namely:

- High-high quadrant (upper-right) contained observations, whose values and spatial lag values were higher than the mean.
- High-low quadrant (lower right) contained observations, whose values were higher than the mean, but the spatial lag values were lower than the mean.
- Low-low quadrant (lower left) contained observations, whose values and spatial lag values were lower than the mean.
- Low-high quadrant (upper left) contained observations, whose values were lower than the mean, but the spatial lag values were higher than the mean.

When most of the observations were in the high-high and low-low quadrants, positive spatial autocorrelation was indicated, suggesting that neighboring regions were similar. Conversely, when most were in low-high or high-low, negative spatial autocorrelation was present, indicating dissimilarity among neighboring regions.

Additionally, we visualize results using cartogram of explored Russian regions. It contains data on the type of Moran's I quadrant to which certain region belongs. Therefore, we visually demonstrate patterns of regional distribution depending on explored variable.

Additionally, the research presented a cartogram that showed the type of Moran's I quadrant to which each region belonged. This visualization helped to identify and demonstrate spatial patterns of road crash distribution across the regions. When spatial autocorrelation was found to be non-zero, then spatial patterns were deemed present in the data ([Elhorst, 2014](#)). Therefore, the next stage of the research included spatial econometric modelling. These models incorporated spatial lags of variables—i.e., weighted averages from neighboring units—using spatial matrices. Typically, it was assumed that the influence of neighbors reduced with distance ([Herrera-Gomez, 2022](#); [Khattak et al., 2021](#); [Belotti et al., 2017](#)). The spatial models applied in this research were presented in Table 2.

Table 2 Specification of Spatial Econometric Models

Model	Formula
Spatial Autoregressive Model	$Y_t = \delta WY_t + \alpha i_N + X_t\beta + \varepsilon_t$
Spatial Error Model	$Y_t = \alpha i_N + X_t + u_t$ $u_t = \lambda W u_t + \varepsilon$
Spatial Durbin Model	$Y_t = \delta WY_t + \alpha i_N + X_t\beta + W X_t\theta + \varepsilon_t$
Spatial Autoregressive Combined model	$Y_t = \delta WY_t + \alpha i_N + X_t\beta + u_t$ $u_t = \lambda W u_t + \varepsilon$

Table 2 provided formulas of spatial models as used for the research, where Y_t represented a one-dimensional matrix of a dependent variable (y was provided in Table 1);

αi_N indicated a constant term;

ε represented a disturbance term;

u_t served as a disturbance term with a spatial lag;

WY_t was a spatial lag of the dependent variable;

WX_t was a spatial lag of the independent variable;

Wu_t was a spatial lag of the disturbance term; and

$\delta, \alpha, \beta, \theta$ represented coefficients of the models.

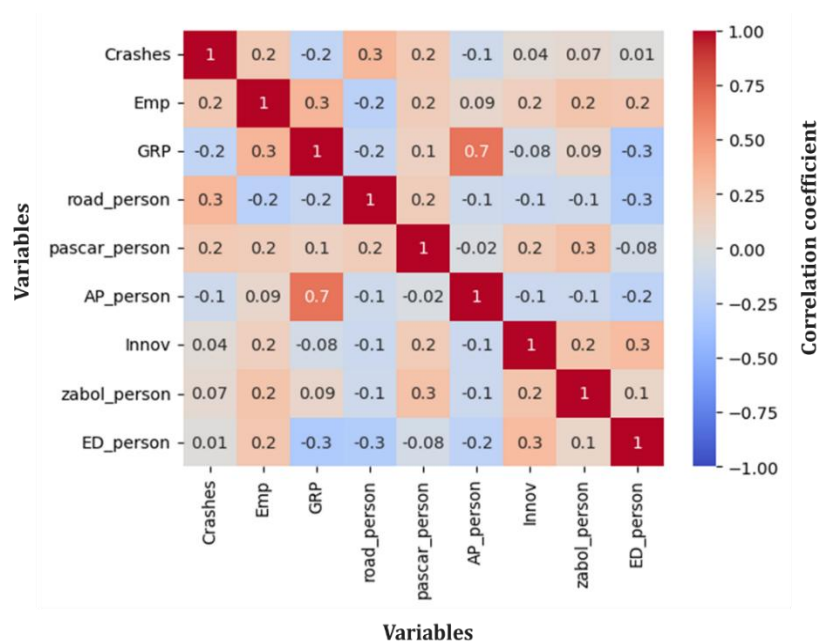
Moreover, the models were analyzed with both random and fixed effects. Besides, three independent variables including GRP, AP_person, and Innov were incorporated into the natural logarithm. To select the best model for the current research, Akaike and Bayesian information criteria were adopted. The model with the lowest criteria values was considered the best fit.

The research used the selected model to examine the presence of spatial spillover effects, to determine whether neighboring regions had any influence on a given region. These effects were assessed by calculating direct and indirect effects using the partial derivatives method, as described by Elhorst (Elhorst, 2014).

3. Results and Discussion

3.1. Estimation of Correlation and Spatial Autocorrelation of the Dependent Variable

The dataset was initially analysed using Pearson's correlation as shown in Figure 2.



Correlation coefficient varies from -1 to 1. Diagonal of heatmap equals to 1, because it reflects correlation of the variable with itself

Figure 2 Correlation heatmap of the regional indicators

The correlation coefficient between the number of road crashes with injuries per 100,000 people and the independent variables fell within the interval $(-0.2, 0.3)$, indicating weak or no high linear relationships. This supported the application of natural logarithms to certain variables in meeting the linearity assumption. Additionally, this suggested the potential presence of indirect (spatial spillover) effects.

Spatial autocorrelation was estimated to determine whether a clustering pattern of road crashes existed. For this, the global Moran's I was computed across six years, and the results were presented in Table 3. Moran's I results showed positive and statistically significant spatial autocorrelation at the 5% level in each year examined. This indicated that neighboring regions in the Russian Federation generally recorded similar numbers of road crashes with injuries per 100,000 people—evidence of spatial clustering. However, over the period under review, the Global Moran's I statistic declined, suggesting a shift in the spatial distribution pattern of road crashes across regions.

Table 3 Moran's I for the Number of Road Crashes with Injuries per 100,000 People by observed years

Year	2015	2016	2017	2018	2019	2020	2021
Statistics							
Moran's I	0.278	0.260	0.278	0.231	0.231	0.185	0.152
P-value	0.000	0.000	0.000	0.002	0.008	0.010	0.033

Moran's I varies from -1 to 1 and reflect strength of spatial autocorrelation
P-value reflects significance of Moran's I statistics

Figures 3 and 4 presented Moran scatterplots that showed a positive relationship between the average number of road crashes with injuries per 100,000 people in both neighboring and target regions in 2015 and 2021. This was due to the presence of positive spatial autocorrelation—regions with similar road crash values were generally located close to one another.

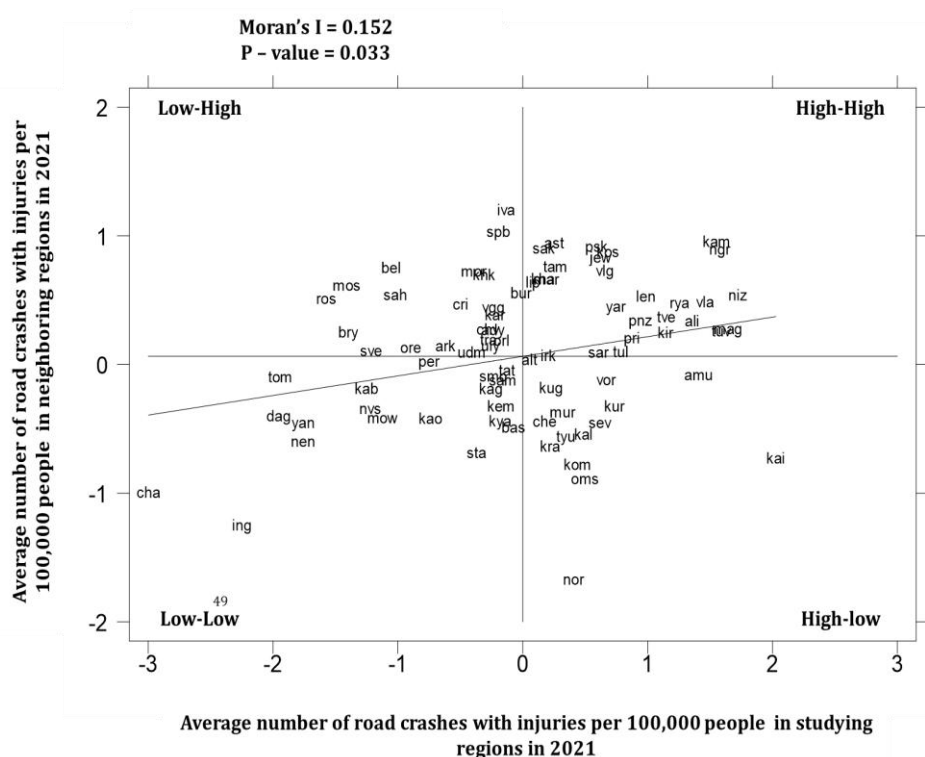


Figure 3 Moran's I of Road Crashes by Regions in 2015

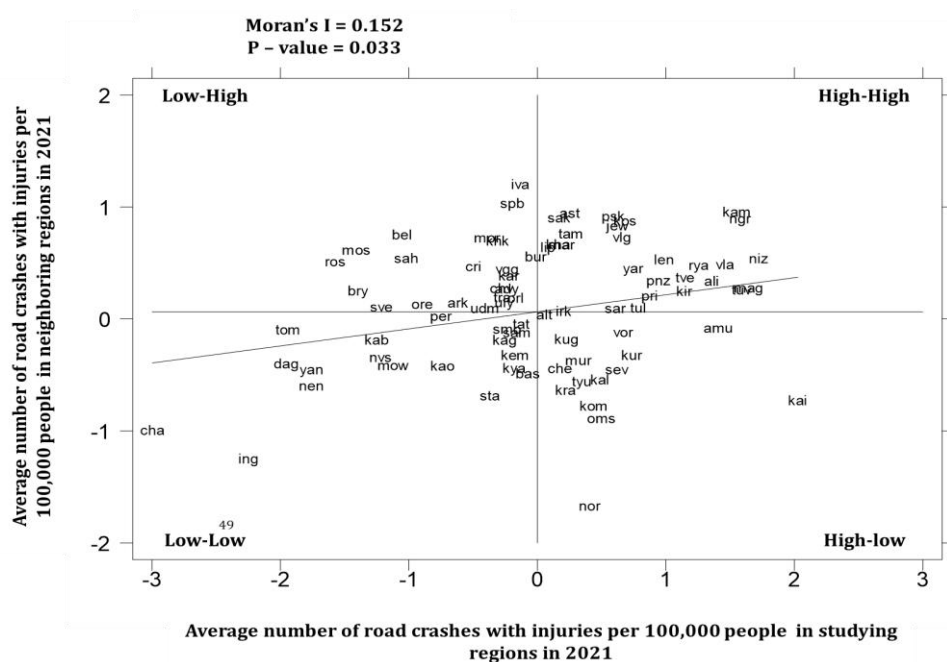


Figure 4 Moran's I of Road Crashes by Regions in 2021

Over time, more regions shifted from the High-High and Low-Low quadrants to the High-Low and Low-High quadrants. This indicated a weakening of the spatial autocorrelation pattern across the Russian regions examined. In 2015, the distribution of the dependent variable was more tightly clustered, implying that high values were surrounded by high values, and low values by low values. Similar results were reported by Sipos et al. (2021), Casado-Sanz et al. (2020), Ryder et al. (2019), Soltani and Askari (2017), and Cantillo et al. (2016). Additionally, as regions became more dispersed across quadrants, regional heterogeneity regarding the studied parameter increased. This correlated with the findings of Gomes et al. (2017) and Barua et al. (2016). Figure 5 displayed a cartogram that indicated the geographical distribution of regions and the respective Moran scatterplot quadrants in 2021.

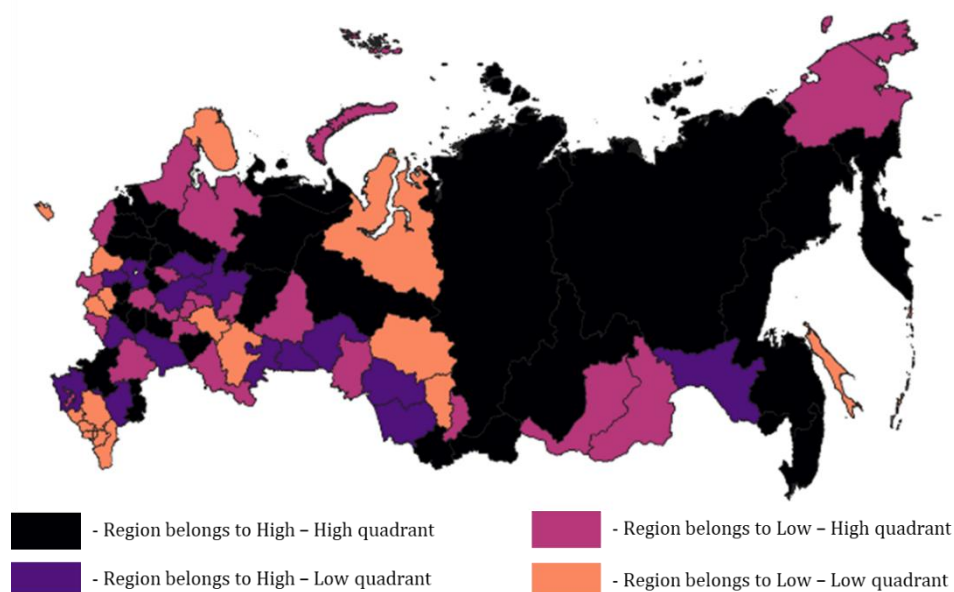


Figure 5 Moran's I of road crashes by Russian regions in 2021

Coral and black quadrants corresponded to the Low–Low and High–High quadrants. These regions were clustered by high and low values of road crashes with injuries per 100,000 people, respectively.

3.2. Regression Analysis of Road Crashes with Injuries

Spatial regression models were used to analyze the impact of economic factors on the number of road crashes with injuries per 100,000 people. Furthermore, Moran's I previously indicated the presence of spatial concentration patterns as observed in the results presented in Table 4.

Table 4 Results of the Regression Modelling

Models	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)
Variables and statistics	re	sar_re	sem_re	sdm_re	fe	sar_fe	sem_fe	sdm_fe	sac_fe
Const	376.54*** (0.000)	261.32*** (0.000)	309.71*** (0.000)	238.64*** (0.006)	671.86*** (0.000)				
<i>Emp</i>	1.06*** (0.000)	0.44** (0.050)	0.99*** (0.001)	-0.126 (0.709)	-0.18 (0.463)	-0.19 (0.359)	-0.08 (0.737)	-0.39 (0.231)	-0.14 (0.328)
<i>l_GRP</i>	-24.38*** (0.000)	-15.96*** (0.000)	-18.27*** (0.001)	1.68 (0.767)	-34.90*** (0.000)	-23.76*** (0.000)	-32.31*** (0.000)	-0.46 (0.944)	- 11.06*** (0.001)
<i>road_person</i>	0.72 (0.289)	0.63 (0.391)	0.99 (0.245)	1.33* (0.087)	-6.66*** (0.000)	-4.81*** (0.003)	-5.24*** (0.002)	-3.18* (0.059)	- 3.87*** (0.002)
<i>pascar_person</i>	-22.59 (0.398)	-34.62 (0.160)	-52.29** (0.066)	1.44 (0.960)	-45.94 (0.106)	-52.27** (0.037)	-65.05** (0.019)	-39.22 (0.197)	-17.38 (0.323)
<i>l_AP_person</i>	5.07*** (0.006)	3.09* (0.060)	2.52 (0.145)	2.09 (0.200)	3.25* (0.067)	2.54 (0.104)	2.22 (0.172)	1.89 (0.220)	3.16** (0.011)
<i>l_Innov</i>	0.36 (0.802)	-1.09 (0.397)	-1.15 (0.418)	-2.12 (0.122)	-2.74** (0.046)	-2.64** (0.028)	-2.571** (0.045)	-2.83** (0.026)	-2.08** (0.019)
<i>zabol_person</i>	-0.01 (0.178)	-0.03 (0.685)	-0.002 (0.852)	0.004 (0.639)	-0.01 (0.164)	-0.006 (0.390)	-0.007 (0.384)	-0.003 (0.675)	-0.009 (0.171)
<i>ED_person</i>	0.30 (0.624)	-0.03 (0.951)	0.29 (0.636)	-0.87 (0.148)	0.05 (0.934)	-0.08 (0.889)	0.15 (0.805)	-0.72 (0.237)	-0.51 (0.210)
rho		0.417*** (0.000)		0.336*** (0.000)		0.296*** (0.000)		0.693*** (0.028)	0.671*** (0.000)
lambda			0.385*** (0.015)				0.217*** (0.000)		-0.667** (0.072)
lgt_theta		-1.860*** (0.000)		-1.837*** (0.000)					
sigma2_e		113.506*** (0.000)	121.279*** (0.000)	107.578*** (0.000)		94.977*** (0.000)	99.367*** (0.000)	90.037*** (0.000)	83.982** * (0.000)
ln_phi			2.158*** (0.185)						
Obs	581	581	581	581	581	581	581	581	581
R-squared	0.478	0.519	0.468	0.552	0.531	0.549	0.529	0.557	0.575
Number of Id	83	83	83	83	83	83	83	83	83
AIC	4921	4782	4823	4754	4361	4328	4349	4370	4293
BIC	4857	4839	4880	4846	4404	4376	4397	4427	4345

The asterisks depict the intervals of the p-value (*** $p < 0.01$, ** $p < 0.05$, * $p < 0.1$)

P - values are presented in round brackets

The best-performing models were the fixed-effects models, particularly the Spatial Autoregressive Combined model (SAC-FE), which had the lowest information criteria values. This indicated that the model incorporating the spatial lag of the dependent variable, spatial error lag,

and fixed effects had the highest explanatory power. Direct and indirect effects of the selected variables on crash numbers are shown in Table 5.

Variables such as Gross Regional Product (GRP), number of roads per person, number of buses per person, and innovative activity showed statistical significance, with p-values below 0.01. Indirect effects exceeded direct ones, confirming the presence of spatial spillover effects. This indicated that neighboring regions contributed more to the crash rates in the studied regions. Specifically, regions bordered by larger or more developed regions recorded fewer crashes. Most significant variables exhibited inverse relationships—higher GRP, more roads per person, and greater innovation levels were associated with lower crash rates. Conversely, an increase in the number of buses per person corresponded with an increase in road crashes with injuries, demonstrating a positive coefficient of determination. Similar findings were documented by Sipos et al. (2021) and Rhee et al. (2016).

Table 5 Effects of Independent Variables on Road Crashes Obtained from the SAC Model with Fixed Effects

Variables \ Effects	Direct	Indirect	Total
Emp	-0.153	-0.250	-0.404
l_GRP	-13.071***	-20.981***	-34.052***
road_person	-4.348***	-7.036***	-11.385***
pascar_person	-20.127	-32.714	-52.842
l_AP_person	3.693***	6.028***	9.721***
l_Innov	-2.407***	-3.913***	-6.321***
zabol_person	-0.011	-0.016	-0.027
ED_person	-0.579	-0.958	-1.538

*The asterisks depict the intervals of the p-value (***) $p < 0.01$, ** $p < 0.05$, * $p < 0.1$)*

These variables as GRP, the number of roads per person, the number of buses per person, and innovative activity were significant, as the p-values were less than 0.01. Moreover, indirect effects were higher than direct effects, indicating the presence of spatial spillover effects. In absolute terms, this suggested that neighboring regions contributed more to the number of accidents in the regions examined. In particular, when a specific region was surrounded by larger or more developed regions, the number of accidents there tended to be lower. Most of the significant variables demonstrated an inverse relationship (GRP, number of roads per person, and innovative activity), indicating that higher regional economic indicators were associated with fewer road crashes involving injuries. Conversely, the number of buses per person exhibited a direct relationship, showing that a higher number of buses per person correlated with a lower number of road crashes, as reflected by the positive coefficient of determination. Similar findings were presented by authors such as Sipos, Rhee, Kim, Lee, and Ulfarsson (Sipos et al., 2021; Rhee et al., 2016).

The results obtained could serve as a basis for adjusting investment policies aimed at developing road transport infrastructure in neighboring regions. For instance, the development of the road transport network in the Leningrad region, along with its economic advancement, was important for St. Petersburg. With improvements in the economic indicators of the Leningrad region and increased investment in road infrastructure, the number of accidents with injuries in St. Petersburg was expected to decline due to the spatial spillover effect. Therefore, when formulating investment policies for developing the road transport network in St. Petersburg, it was essential to consider collaborative efforts with the neighboring Leningrad region.

4. Conclusions

In conclusion, road traffic accidents including injuries that occurred on the Russian Federation roads from 2015 to 2021 were analyzed in relation to the economic indicators of neighboring regions. Firstly, the presence of a spatial relationship between the road crashes across Russian regions was confirmed. Secondly, the research showed the optimal performance of spatial models compared to traditional OLS models. Thirdly, GRP, the number of roads per person, the number of buses per person, and innovative activity were identified as significant factors contributing to the occurrence of road accidents. Fourthly, the contribution of neighboring regions to the number of accidents in the examined region which indicated the presence of spatial spillover effects was also confirmed. The main limitation of the research was that the obtained model did not account for behavioral factors related to participants in the road transport network. This aspect could be explored in future research.

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Author Contributions

Conceptualization, M.R. and A.S.; Data curation, M.R.; Formal analysis, M.R.; Funding acquisition, T.K.; Investigation, M.R.; Methodology, A.S.; Project administration, T.K. and D.K.; Software, M.R.; Supervision, T.K. and D.K.; Validation, D.K.; Writing—original draft, M.R.; Writing—review and editing, A.S. and M.R. All authors have read and agreed to the published version of the manuscript.

Conflict of Interest

The authors declare no conflicts of interest.

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